Multi-Modal Human-Computer Interaction

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• Basic model

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- Related tasks

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- Face detection, facial gestures recognition

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- Techniques

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- Techniques
- Learning from examples
- Support vector machine and its application

Basic Model



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• Input:

• Input: Speech recognition,

4

• Input: Speech recognition, face detection,

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 Input: Speech recognition, face detection, facial gestures recognition, video-based speech recognition

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- Engine:

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- Engine: Knowledge-based solutions

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- Engine: Knowledge-based solutions
- Output: Speech synthesis, talking-head

Face detection

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- Face tracking

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- Face recognition

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- Facial gestures recognition

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- Presence or absence of structural components: beards, mustaches, glasses.
- Facial expressions
- Occlusion: Faces may be partially occluded by other objects.

Imaging conditions: Lighting and camera characteristics.

• Knowledge-based method:

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- Feature invariant approaches:

- Knowledge-based method: Encode human knowledge of what constitutes a typical face.
- Feature invariant approaches: Aim to find structural features of a face that exist even when the pose,viewpoint, or lighting conditions vary.

• Template matching methods:

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- Appearance-based methods:
- Template matching methods: Several standard patterns stored to describe the face as a whole or the facial features separately.
- Appearance-based methods: The models are learned from a set of training images which capture the representative variability of facial appearance.

• Equalization of the gray-level information

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- A generator of random vectors x, drawn independtly from fixed, but unkown distribution P(x).
- A supervisor that returns an output vector y for every input vector x, according to a conditional distribution function P(y|x), also fixed but unkown.
- A learning machine capable of implementing a set of functions $f(x, \alpha)$, $\alpha \in \Lambda$.

• The problem of learning is that of choosing from the given set of function, the one which predicts the supervisor's response in the best possible way. The selection is based on a training set of l random independent identically distributed observations drawn according to P(x,y) = P(x)P(y|x).

Problem of Risk Minimization

• In order to choose the best available approximation to the supervisor's response, one measures the loss $L(y, f(x, \alpha))$ between the response y of the supervisor to a given input x and the response $f(x, \alpha)$ provided by the learning machine. Consider the expected value of the loss, given by the risk functional

$$R(lpha) = \int L(y, f(x, lpha)) dP(x, y).$$

• The goal is to find the function $f(x, \alpha_0)$ which minimizes the risk functional $R(\alpha)$ in the situation where the joint probability distribution P(x, y) is unknown and the only available information is contained in the training set.

The Optimal Separating Hyperplanes

Suppose the training data

 $(x_1, y_1), \ldots, (x_l, y_l), x \in \mathbf{R}^n, y \in \{+1, -1\}$

can be separated by a hyperplane

$$(w \cdot x) - b = 0.$$

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- To describe the separating hyperplane let us use the following form:

$$(w \cdot x_i) - b \geq 1, ext{if } y_i = +1,$$
 $(w \cdot x_i) - b \leq 1, ext{if } y_i = -1.$

 In the following we use a compact notation for these inequalities:

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 It is easy to check that the optimal hyperplane is the one that satisfies the condition and minimizes functional

$$\Phi(w) = \frac{1}{2} \cdot \|w\|^2.$$

 The solution to this optimization problem is given by the saddle point of a Lagrange functional.



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- Let $f(x, \alpha)$, $\alpha \in \Lambda$ be a set of indicator functions (functions which take on only two values zero and one).

Consider the following loss-function

$$L(y, f(x, \alpha)) = \begin{cases} 0 & \text{, if } y = f(x, \alpha), \\ 1 & \text{, if } y \neq f(x, \alpha). \end{cases}$$

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• The poblem is to find the function which minimizes the probability of classification errors when probability measure P(x, y) is unkown, but the data are given.

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- Training set $(x_1, y_1), \ldots, (x_l, y_l) \in \mathbf{R}^N imes \{\pm 1\}.$
- Test patterns $\overline{x_1}, \ldots, \overline{x_l} \in \mathbf{R}^N$, such that the elements of the training set is not elements of the test set.

- Based on the training set alone, there is no means of choosing which one is better, because for any *f* there exits *f**, where
 - $f^*(x_i) = f(x)$, for all i,
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 There is "no free lunch". The restriction must be placed on the functions that we allow.

Basic Example

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- Let us consider the given weight and height of a person. We want to find a way of determining their gender.

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- The weights and heights in a twodimensional coordinate system are points.
- Let us find the separating hyperplane which divides the points into two regions, one female, one male.

No.	Height	Weight	Gender
1	180	80	m
2	173	66	m
3	170	80	m
4	176	70	m
5	160	65	m
6	160	61	f
7	162	62	f
8	168	64	f
9	164	63	f
10	175	65	f




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 - It characterizes the learning capacity.
 - One can avoid the overfitting with its control.
 - One can minimize the expected value of the error with its control.

The VC-dimension of a set of +1, -1-valued functions is equal to the largest number h of points of the domain of the functions that can be separated into two different classes in all the 2^h possible ways using the functions of this set of functions.

Determine the VC-dimension!



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- To generalize well, we control (decrease) the VC dimension by constructing an optimal separating hyperplane (that maximizes the margin).

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The training algorithm would only depend on the data through dot products in the feature space, i.e. on functions of the form Φ(x_i) · Φ(x_j). Now if there were a "kernel function" K such that K(x_i, x_j) = Φ(x_i) · Φ(x_j), we would only need to use K in the training algorithm, and would never need to explicitly even know what Φ is.

• Polynomial kernel $K(x, y) = (x \cdot y + 1)^p$

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- Gaussian radial kernel $K(x,y) = e^{-\|x-y\|^2/2\sigma^2}$
- Two-layer sigmoidal neural network $(x,y) = \tanh(\kappa x \cdot y \delta)$

Summary of Some Features of SVM

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- If the VC dimension is low, the expected probability of error is low as well.

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- SVM can non-linearly transform the original input space into a higher dimensional feature space.

Experimental Results

 For all experiments the Mathlab SVM toolbox developed by Steve Gunn was used. For a complete test, several auxiliary routines have been added to the original toolbox.

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- They are of dimension 320×240 .

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 - A rectangle part of dimensions 128×128 pixels has been manually determined that includes the actual face.
 - This area has been subsampled four times. At each subsampled four times. At each subsampling, non- overlapping regions of 2 × 2 are replaced by their average.

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- Similarly, 15 non-face patterns have been collected from images in the same way, and labeled by -1.

 We have trained the three different SVMs. The trained SVMs have been applied to 414 test examples (249 face and 165 nonface). The test images are classified as non-face ones or face ones. The following table gives the results on the test. • We have trained the three different SVMs. The trained SVMs have been applied to 414 test examples (249 face and 165 nonface). The test images are classified as non-face ones or face ones. The following table gives the results on the test.

	Linear	Walsh	Polynomial
Time	2.3581	2.3432	2.5327
Errors	9	8	7
Margin	0.66	4.58	2.17
SVs	15	12	8

